

Sect 3.1

#5 $0.42\% = \boxed{0.0042}$; 120 days = $\boxed{\frac{1}{3} \text{ year}}$

#9 $P = \$300, r = 7\%, t = 2 \text{ yrs}$ $I = Prt = 300(0.07)2 = \boxed{\$42}$

#15 $I = \$60, P = \$2400, r = 5\%$ $I = Prt$ $60 = 2400(0.05)t$
 $t = \frac{60}{2400(0.05)} = \frac{60}{120} = \boxed{0.5 \text{ yr}}$ (6 mos.)

#23 $A = 736, P = 640, r = 15\%, t = ?$
 $A = P(1 + rt)$ $736 = 640(1 + 0.15t) \Rightarrow 1 + 0.15t = \frac{736}{640} = 1.15$
 $0.15t = 0.15$ $\boxed{t = 1}$

#37 loan \$7260 repaid in 8 mos ($t = \frac{2}{3}$) $r = 8\%$
 $A = P(1 + rt) = 7260(1 + \frac{2}{3}(0.08)) = 7260(1.0533...) = \boxed{7647.20}$

#45 $t = 13 \text{ wk T-bill} = 0.25 \text{ yr}$, maturity value = \$1,000, sells for \$989.37
 $1000 = 989.37(1 + i(0.25)) \Rightarrow 1 + 0.25i = 1.010744...$
 $i = 0.04298 \Rightarrow \boxed{4.30\%}$

Sect 3.2

#1 $A = P(1+i)^n = 100(1.01)^{12} = \boxed{112.68}$

#5 $A = 10,000, i = 0.03, n = 48$ $P = \frac{A}{(1+i)^n} = \frac{10000}{(1.03)^{48}} = \boxed{2419.99}$

#13 $A = \$88,000, P = 71,153, r = 8.5\%, t = ?$ $A = Pe^{rt}$
continuous compounding $88000 = 71153 e^{0.085t}$

#21 $0.018\% \text{ per day}$ $(1 + 0.00018)^{360} - 1 = 0.06694$
 $0.00018(365) = 0.0657$ $\boxed{6.57\%}$
 $e^{0.085t} = 1.23677...$ $0.085t = 0.2125...$ $\boxed{t = 2.5}$
 $\boxed{6.694\%}$ effective annual yield

#33 (A) $100(1.06)^4 = 126.25$ 26.25 in interest
 (B) $100(1 + \frac{0.06}{4})^{16} = 126.90$ 26.90 " "
 (C) $100(1 + \frac{0.06}{12})^{48} = 127.05$ 27.05 " "

Sect 3.2

Math 107 (2)
 Prof. R. B. Goldstein
 Chap 3 Hwt Barnett 2nd

#45 (A) $A = Pe^{rt}$ $P = Ae^{-rt} = 25000e^{-0.09(3)} = 19,084.49$
 (B) $= 25000e^{-0.09(4)} = 11,121.45$

#77 $A = P(1 + \frac{r}{n})^{nt} = 20000(1 + \frac{0.06}{365})^{365(35)} = 20000(8.16476...) = 1,632,295.21$

Sect 3.3

#11 $n=40$ $i=0.02$ $PMT=1000$ $FV = PMT \frac{(1+i)^n - 1}{i} = 1000 \frac{(1.02)^{40} - 1}{0.02} = 1000(60.40198) = 60,401.98$

#15 $FV=5000$ $n=15$ $i=0.01$ $PMT=?$ $\frac{FV}{\frac{(1+i)^n - 1}{i}} = \frac{5000}{\frac{(1.01)^{15} - 1}{0.01}} = \frac{5000}{16.0968...} = 310.62$

#19 $FV=7600$ $PMT=500$ $n=10$ $i=?$ $7600 = 500 \left[\frac{(1+i)^{10} - 1}{i} \right]$

One can use trial + error, Derive, Excel etc

ex. $i=0.05$ $FV=6289$
 $i=0.10$ $FV=7968 \Rightarrow$ try $i=0.08$ $FV=7243$ etc

$i=0.090097 \Rightarrow 9.01\%$

#33 Bob 24: \$1000 } $n=12$ 6.4%
 35: 1000 }

$1000 \frac{(1+0.064)^{12} - 1}{0.064} = \$17,269.22$ at age 35

30 years later:
 $65 \cdot 17,269.22 (1.064)^{30} = 111,050.75$

#21 6.65% compounded mo.
 $PMT = \$500$ 10 yrs = 120 mos.

$500 \left[\frac{(1 + \frac{0.0665}{12})^{120} - 1}{\frac{0.0665}{12}} \right] = 500(169.79...) = 84,895.40$

interest $84,895.40 - 500(120) = 24,895.40$

Sect 3.4

Math 107 (3)
Prof R.B. Goldstein
Chap 3 HW - Bernoulli 2nd

#11 $n=25$ $i=0.025$ $PMT=250$ $PV=?$

$$PV = PMT \left[\frac{1 - (1+i)^{-n}}{i} \right] = 250 \left[\frac{1 - (1.025)^{-25}}{0.025} \right] = 250(18.424...) = \boxed{4606.09}$$

#15 $PV=40000$ $n=96$ $i=0.0075$ $PMT=?$

$$PMT = PV \left[\frac{i}{1 - (1+i)^{-n}} \right] = 40000 \left[\frac{0.0075}{1 - 1.0075^{-96}} \right] = 40000(0.01465...) = \boxed{586.01}$$

#19 $PV=9000$ $PMT=600$ $n=20$ $i=?$

$$9000 = 600 \left[\frac{1 - (1+i)^{-20}}{i} \right] \Rightarrow i = 0.029115 \dots \quad \boxed{2.91\%}$$

by Excel

#25 $PV=2500$ $n=48$ $i=1.25\%$

$$PMT = 2500 \left[\frac{0.0125}{1 - 1.0125^{-48}} \right] = \boxed{69.58}$$

interest $69.58(48) - 2500 = \boxed{839.84}$

#29 $\$27,300$ 0% financing $\Rightarrow \frac{27300}{60} = \boxed{455/\text{mo}}$ total $27,300$

w/m rebate $\$5000$ $PV=27300 - 5000 = 22,300$ $i=0.063/12 = 0.00525$

$$PMT = 22,300 \left[\frac{0.00525}{1 - 1.00525^{-60}} \right] = \boxed{434.24}$$

$434.24(60) = 26,054.40$ (less) lower monthly payment

* take loan from local bank

#45 7.5% comp. mo $PV = 500,000$

$$PMT = PV \left[\frac{0.00625}{1 - 1.00625^{-n}} \right] = \frac{3125}{1 - 1.00625^{-n}}$$

(A) $PMT = 5000 = \frac{3125}{1 - 1.00625^{-n}} \Rightarrow 1 - 1.00625^{-n} = \frac{3125}{5000} = 0.625$

$$1.00625^{-n} = 0.375 \quad -n \ln 1.00625 = \ln 0.375$$

$$n = \frac{-\ln 0.375}{\ln 1.00625} = \boxed{157.4}$$

(B) 4000 $1.00625^{-n} = 1 - \frac{3125}{4000} = 0.21875$ $n = \frac{-\ln 0.21875}{\ln 1.00625} = \boxed{243.9}$ over 20 yrs

(C) $50000(0.00625) = 3125 > 3000 \therefore \boxed{n \Rightarrow \infty}$ forever